

The Unified Field Theory

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$$\frac{e}{on/off} = mc^2$$

$$e = \frac{m}{on/off} c^2$$

To be clear; on/off is a literal reference to computational on switches divided by computational off switches.

Let m_e represent the mass of an electron

Let m_p represent the mass of a proton

Let m_n represent the mass of a neutron

Let radius be a modified Bohr Radius (r_m) and be equal to $5.35317245 \times 10^{-11}$ meters

$$e2 = \left(\frac{m}{m_e} + \frac{m}{m_p} + \frac{m}{m_n} \right) \hbar \left[\frac{h^2 \left(\frac{c}{2\pi \cdot 5.35317245 \times 10^{-11}} \right)^4}{c^2} \right]$$

$$m2 = \frac{\left[\left(\frac{m}{m_e} + \frac{m}{m_p} + \frac{m}{m_n} \right) 2 \frac{2Gm}{c^2} \right] \left[\frac{h^2 \left(\frac{c}{2\pi \cdot 5.35317245 \times 10^{-11}} \right)^4}{c^2} \right]}{\left[\frac{G8\pi}{(2c^2)} \right]}$$

$$m2 = \frac{[(\frac{m}{3} + \frac{m}{3} + \frac{m}{3})2\frac{2Gm}{c^2}][\frac{h^2(\frac{c}{2\pi 9.26875894 \times 10^{-7}})^4}{c^2}]}{[G8\pi]}$$

$$m2 = (\frac{m}{3} + \frac{m}{3} + \frac{m}{3})\hbar[\frac{h(\frac{c}{2\pi 9.26875894 \times 10^{-7}})^4}{c^2}]$$

Electrostatic acceleration of small masses;

$$f = ma$$

Let p_m represent the Planck Mass, and cp_m represent c times the planck mass.

$$2c^2 = (\frac{m}{3} + \frac{cp_m 140.938613}{3} + \frac{cp_m 140.938613}{3})\hbar[\frac{h(\frac{c}{2\pi 5.35317245 \times 10^{-11}})^4}{c^2}]$$

$$cp_m 140.938613 = 0.00000306781079$$

Let $m_{pn}a$ represent the acceleration of the protons and neutrons (for teleportation).

$$m_{pn}a = c \frac{\frac{2G(cp_m 140.938613)}{c^2}}{[\frac{2Gm}{c^2}]}$$

Teleportation; the electron masses contain two of the entire masses of the object in binary.

$$m4 = \frac{\left(\frac{c \left[\frac{2G(cpm140.938613)}{c^2} \right]}{\left[\frac{2Gm}{c^2} \right]} m_p + \frac{c \left[\frac{2G(cpm140.938613)}{c^2} \right]}{\left[\frac{2Gm}{c^2} \right]} \right) \hbar \left[\frac{h \left(\frac{c}{2\pi 9.720723344 \times 10^{-12}} \right)^4}{c^2} \right]}{2c^2 m_e}$$

$$6 = \frac{\left(\frac{1}{m_p} + \frac{1}{m_n} \right) \hbar \left[\frac{h \left(\frac{c}{2\pi 9.720723344 \times 10^{-12}} \right)^4}{c^2} \right]}{c^2}$$

$$e2 = (m/3/m_e) / [1/(m_e c^2)/6]$$

$$CpuHz = \frac{c}{r\pi^2}$$

The Bohr Radius (r_0) of hydrogen $5.29177210903 \times 10^{-11}$ meters was modified (r_m) in this theory to $5.35317245 \times 10^{-11}$ meters because hydrogen didn't carry sufficient charge for computation.

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I regret that I would be lying had I said I had found a physical or technical solution to the Hubbert Peak, yet it was worth noting so I have done so.

https://en.wikipedia.org/wiki/Hubbert_peak_theory

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